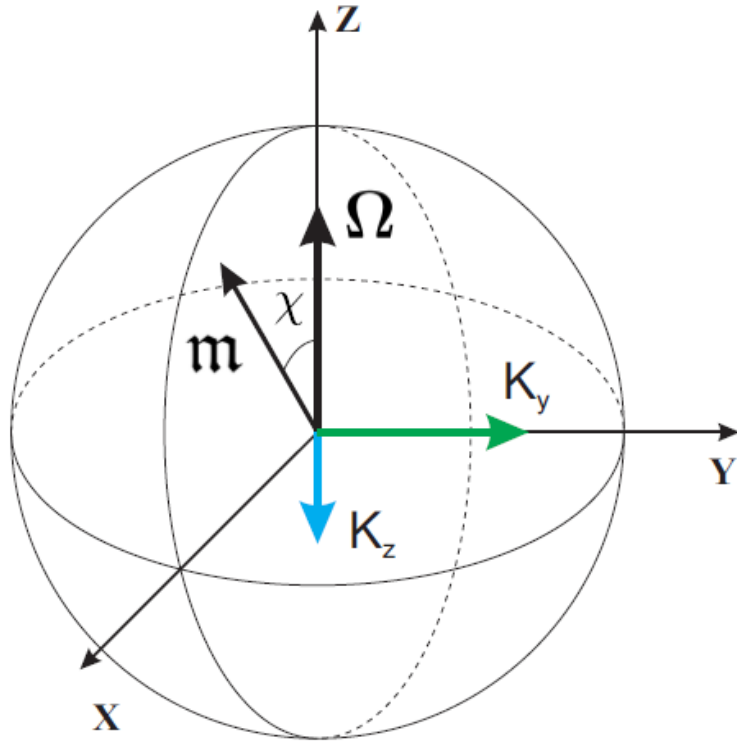


Так как же тормозятся радиопульсары?

В.С. Бескин

ФИАН, МФТИ

Тормозящий момент сил



$$K_{z'} = \frac{2}{3} \frac{m^2}{R^3} \left(\frac{\Omega R}{c} \right)^3 \sin^2 \chi$$

$$K_{x'} = \frac{2}{3} \frac{m^2}{R^3} \left(\frac{\Omega R}{c} \right)^3 \sin \chi \cos \chi$$

$$\mathbf{K} = \int \mathbf{r} \times d\mathbf{F} = \frac{R^3}{4\pi} \int \left([\mathbf{n} \times \{\mathbf{B}\}] (\mathbf{B}\mathbf{n}) + [\mathbf{n} \times \mathbf{E}] (\{\mathbf{E}\} \mathbf{n}) \right) d\omega$$

Магнито-дипольное излучение

Потери энергии $W_{\text{tot}} = -\Omega \mathbf{K}$

$$K_{z'} = \frac{2}{3} \frac{\mathfrak{m}^2}{R^3} \left(\frac{\Omega R}{c} \right)^3 \sin^2 \chi$$

$$K_{x'} = \frac{2}{3} \frac{\mathfrak{m}^2}{R^3} \left(\frac{\Omega R}{c} \right)^3 \sin \chi \cos \chi$$

$$\mathbf{K} = \frac{R^3}{c} \int \mathbf{J}_s(\mathbf{B}\mathbf{n}) \, d\phi = \frac{R^3}{4\pi} \int \{ [\mathbf{n} \times \mathbf{B}^{(3)}](\mathbf{B}^{(0)}\mathbf{n}) + [\mathbf{n} \times \mathbf{B}^{(0)}](\mathbf{B}^{(3)}\mathbf{n}) \} \, d\phi$$

Ландау-Лифшиц, Теория поля

$$B_r^\perp = \frac{|\mathbf{m}|}{r^3} \sin \theta \operatorname{Re} \left(2 - 2i \frac{\Omega r}{c} \right) \exp \left(i \frac{\Omega r}{c} + i\varphi - i\Omega t \right),$$

$$B_\theta^\perp = \frac{|\mathbf{m}|}{r^3} \cos \theta \operatorname{Re} \left(-1 + i \frac{\Omega r}{c} + \frac{\Omega^2 r^2}{c^2} \right) \exp \left(i \frac{\Omega r}{c} + i\varphi - i\Omega t \right),$$

$$B_\varphi^\perp = \frac{|\mathbf{m}|}{r^3} \operatorname{Re} \left(-i - \frac{\Omega r}{c} + i \frac{\Omega^2 r^2}{c^2} \right) \exp \left(i \frac{\Omega r}{c} + i\varphi - i\Omega t \right),$$

$$E_r^\perp = 0,$$

$$E_\theta^\perp = \frac{|\mathbf{m}| \Omega}{r^2 c} \operatorname{Re} \left(-1 + i \frac{\Omega r}{c} \right) \exp \left(i \frac{\Omega r}{c} + i\varphi - i\Omega t \right),$$

$$E_\varphi^\perp = \frac{|\mathbf{m}| \Omega}{r^2 c} \cos \theta \operatorname{Re} \left(-i - \frac{\Omega r}{c} \right) \exp \left(i \frac{\Omega r}{c} + i\varphi - i\Omega t \right).$$

Третий порядок!

Потери энергии

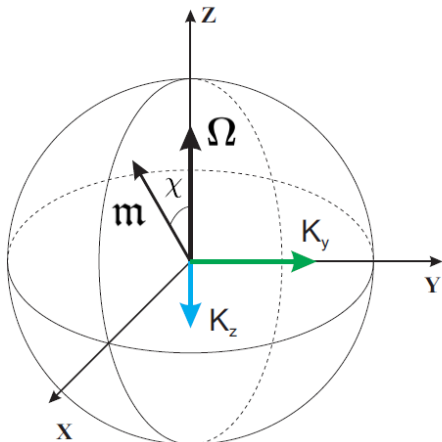
$$W_{\text{tot}} = \frac{c}{4\pi} \int (\beta_R \mathbf{B})(\mathbf{B} d\mathbf{S}) \quad \beta_R = \frac{\boldsymbol{\Omega} \times \mathbf{r}}{c}$$

Вакуум (Л&Л) (1/3)

$$1 \quad \Omega \quad 1 \quad \Omega^3 \quad 1 \quad = \Omega^4$$

Вакуум (Л&Л) (2/3)

$$1 \quad \Omega \quad \Omega^3 \quad 1 \quad 1 \quad = \Omega^4$$



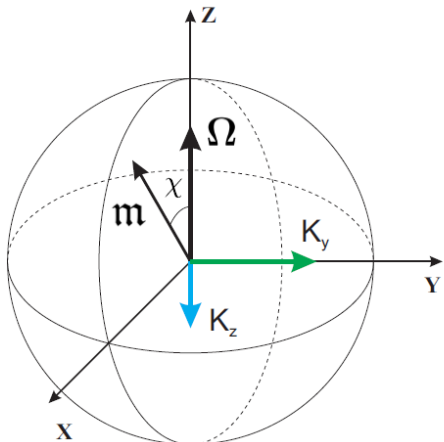
$$\mathbf{B}^{(3)} = -\frac{2}{3} \frac{m}{R^3} \left(\frac{\Omega R}{c} \right)^3 \mathbf{e}_{y'}$$

Третий порядок!

Потери энергии

$$W_{\text{tot}} = \frac{c}{4\pi} \int (\beta_R \mathbf{B})(\mathbf{B} d\mathbf{S}) \quad \beta_R = \frac{\boldsymbol{\Omega} \times \mathbf{r}}{c}$$

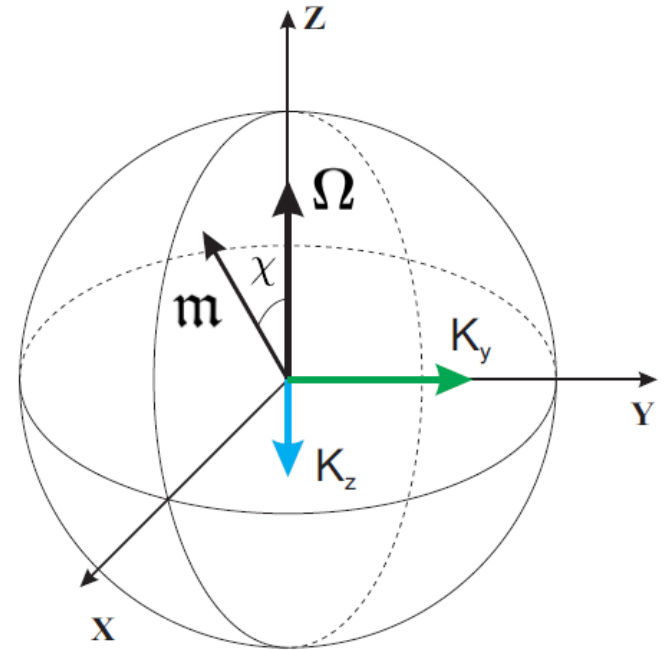
Вакуум (Л&Л) (1/3)	1	Ω	1	Ω^3	1	$= \Omega^4$
Вакуум (Л&Л) (2/3)	1	Ω	Ω^3	1	1	$= \Omega^4$
Вакуум (Deutsch)	1	Ω	Ω^3	1	1	$= \Omega^4$



$$\mathbf{B}^{(3)} = -\frac{2}{3} \frac{m}{R^3} \left(\frac{\Omega R}{c} \right)^3 \mathbf{e}_{y'}$$

Вывод

Оба слагаемых могут играть роль!



$$\mathbf{K} = \frac{R^3}{c} \int \mathbf{J}_s(\mathbf{B}\mathbf{n}) d\Omega = \frac{R^3}{4\pi} \int \{[\mathbf{n} \times \mathbf{B}^{(3)}](\mathbf{B}^{(0)}\mathbf{n}) + [\mathbf{n} \times \mathbf{B}^{(0)}](\mathbf{B}^{(3)}\mathbf{n})\} d\Omega$$

Ключевая электромагнитная идея

(N.S.Kardashev, 1964; F.Pacini, 1967)

Магнито-дипольные потери

$$W_{\text{tot}} = -J_r \Omega \dot{\Omega} \approx \frac{1}{6} \frac{B_0^2 \Omega^4 R^6}{c^3} \sin^2 \chi$$

$$W_{\text{tot}} \sim 10^{32} \text{ erg/s}$$

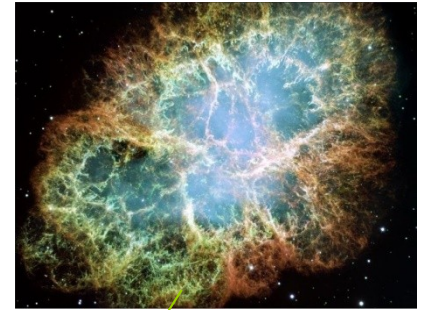


Момент истины

Пульсар в Крабовидной туманности

$$P = 0.033 \text{ s},$$

$$dP/dt = 4 \cdot 10^{-13}$$



Потери энергии $W_{\text{tot}} = -I_r \Omega d\Omega/dt \sim 5 \cdot 10^{38} \text{ erg/s}$

Время жизни $\tau = P/(2dP/dt) \sim 1000 \text{ years}$

Оптическое излучение



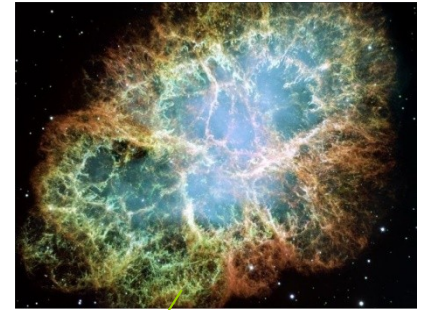
1054AD

Момент истины

Пульсар в Крабовидной туманности

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Потери энергии $W_{\text{tot}} = -I_r \Omega d\Omega/dt \sim 5 \cdot 10^{38} \text{ erg/s}$

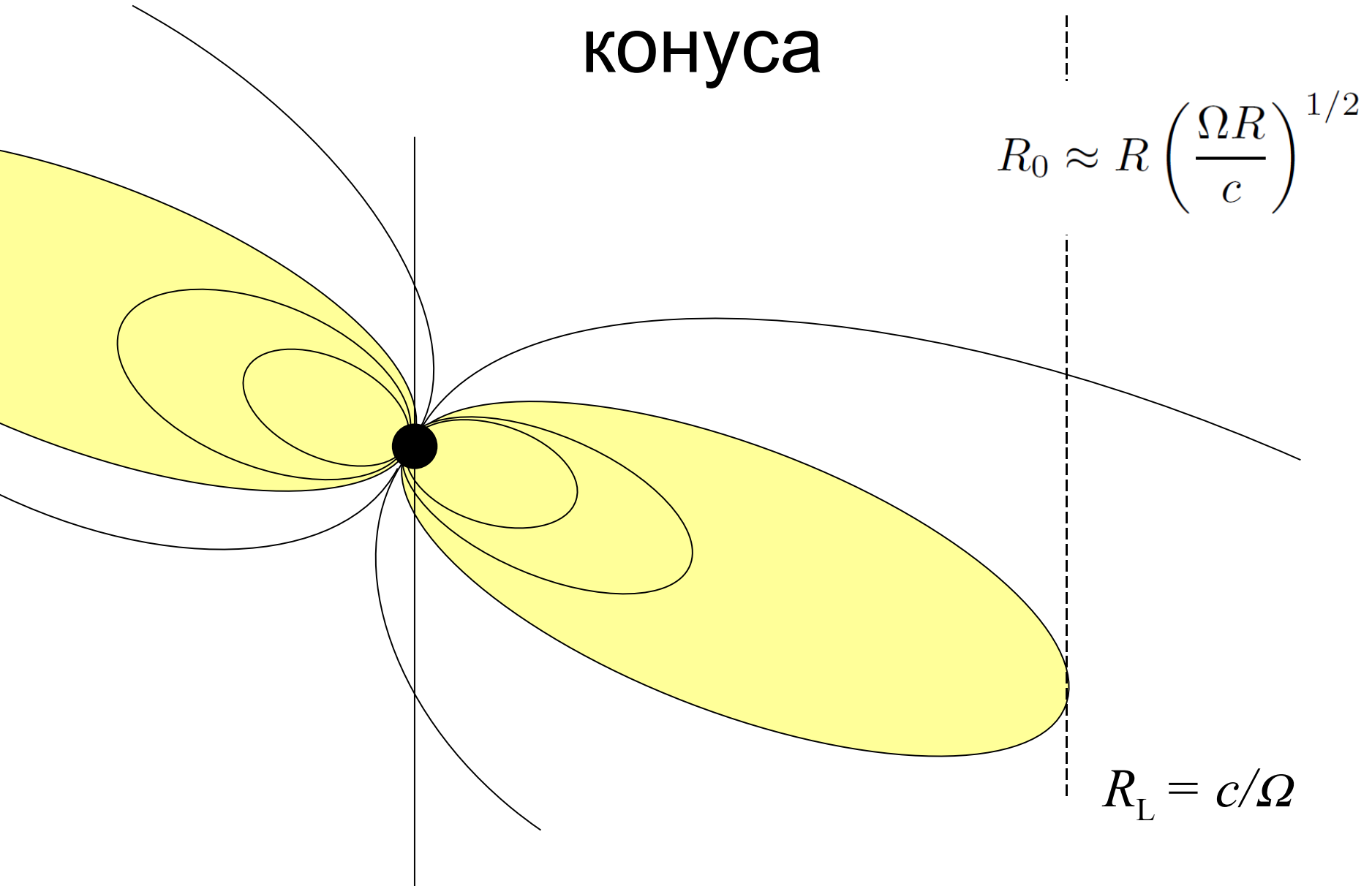
Время жизни $\tau = P/(2dP/dt) \sim 1000 \text{ years}$

Оптическое излучение

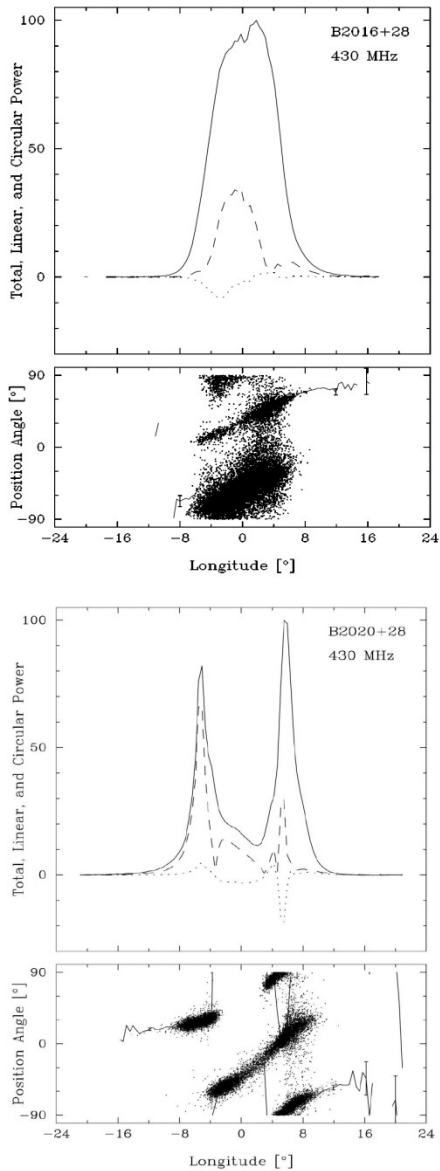


1054AD

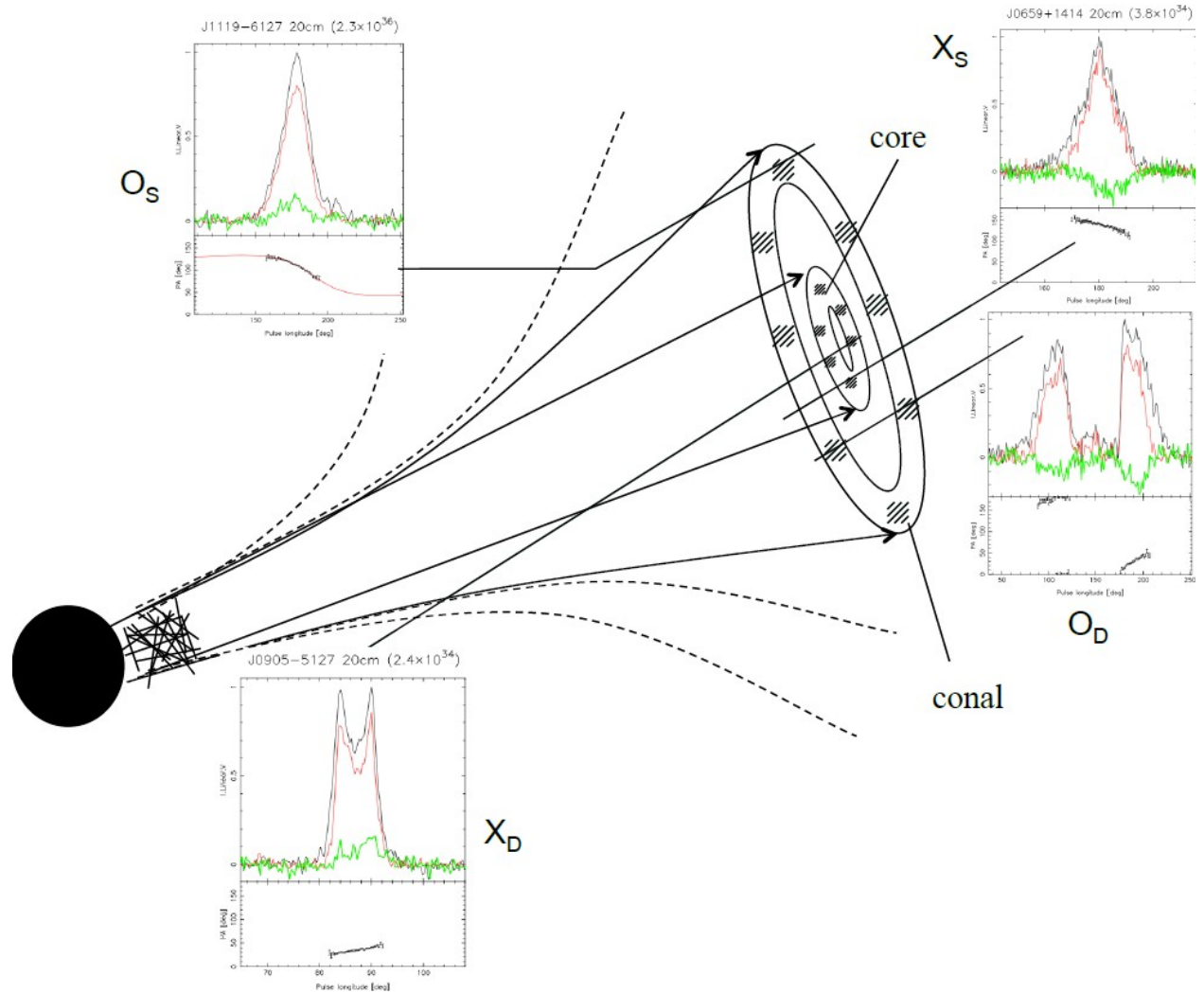
Рождение частиц, модель полого конуса



T.Hankins & J.Rankin (2008)



VB & A.Philippov (2012)



Бессиловое приближение

Можно пренебречь энергией частиц

$$\frac{1}{c} \dot{\mathbf{j}} \times \mathbf{B} + \rho_e \mathbf{E} = 0$$

Mestel equation (1973)

$$\nabla \times \tilde{\mathbf{B}} = \psi \mathbf{B}$$

$$\tilde{\mathbf{B}} = \left\{ B_r \left(1 - \frac{\Omega^2 r^2}{c^2} \right), B_\theta, B_z \left(1 - \frac{\Omega^2 r^2}{c^2} \right) \right\}$$

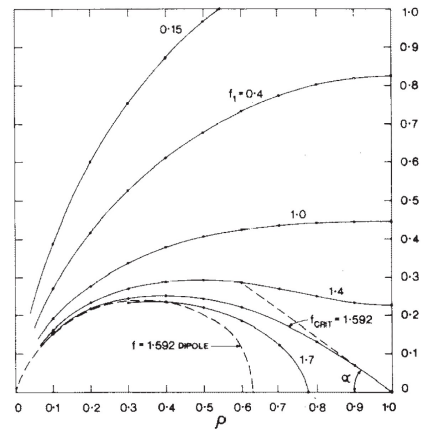
Pulsar equation_

$$- \left(1 - \frac{\Omega_F^2 \varpi^2}{c^2} \right) \nabla^2 \Psi + \frac{2}{\varpi} \frac{\partial \Psi}{\partial \varpi} - \frac{16\pi^2}{c^2} I \frac{dI}{d\Psi} + \frac{\varpi^2}{c^2} (\nabla \Psi)^2 \Omega_F \frac{d\Omega_F}{d\Psi} = 0$$

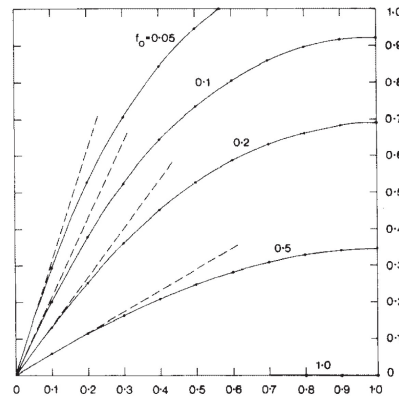
(Michel 1973, Mestel 1993, Scharlemann & Wagoner 1973,
Okamoto 1974, Mestel & Wang 1979)

Первые решения

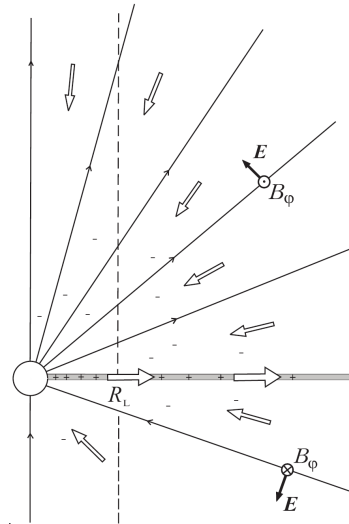
$$-\left(1 - \frac{\Omega_F^2 \varpi^2}{c^2}\right) \nabla^2 \Psi + \frac{2}{\varpi} \frac{\partial \Psi}{\partial \varpi} - \frac{16\pi^2}{c^2} I \frac{dI}{d\Psi} + \frac{\varpi^2}{c^2} (\nabla \Psi)^2 \Omega_F \frac{d\Omega_F}{d\Psi} = 0$$



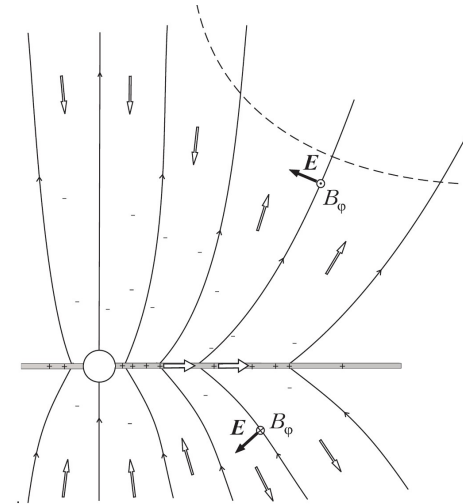
F. Michel (1973)



F. Michel (1973)

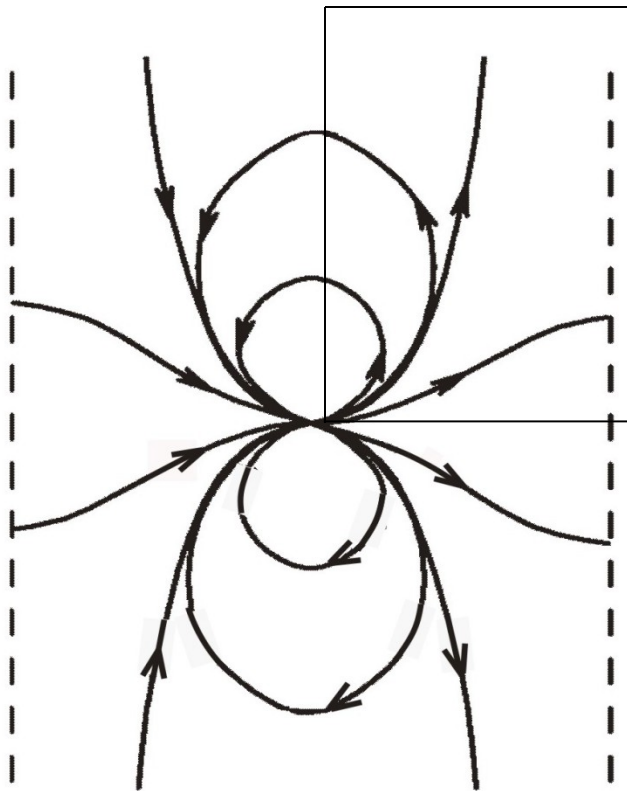


F. Michel (1973)



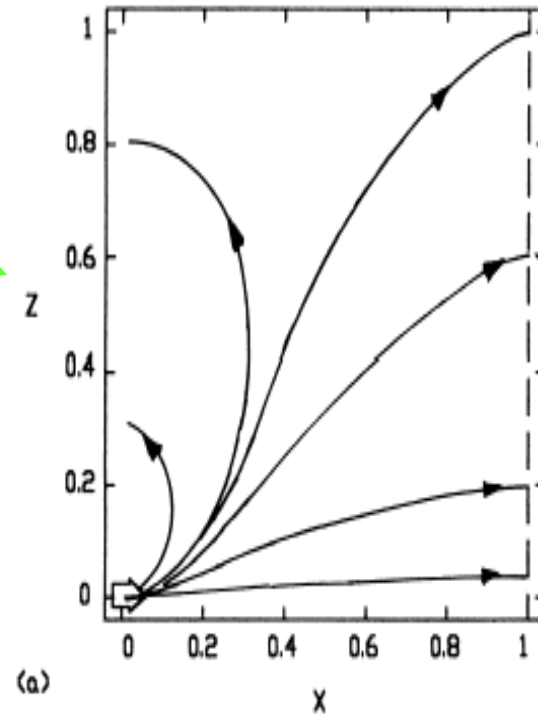
R. Blandford (1976)

Ортогональный случай



$$\chi = 90^\circ$$

VB, A.V.Gurevich, Ya.N.Istomin,
Sov. Phys. JETP, **58**, 235 (1983)

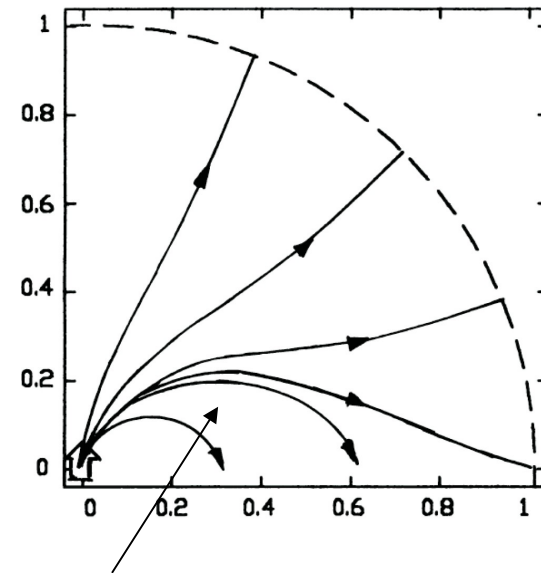
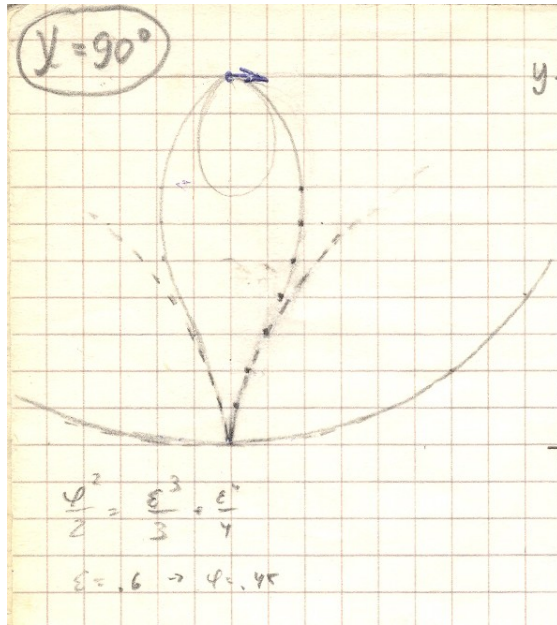


L.Mestel, P.Panagi, S.Shibata,
MNRAS, **309**, 388 (1999)

Ортогональный случай

VB, A.V.Gurevich, Ya.N.Istomin, JETP, **58**, 235 (1983)

L.Mestel, P.Panagi, S.Shibata, MNRAS, **309**, 388 (1999)

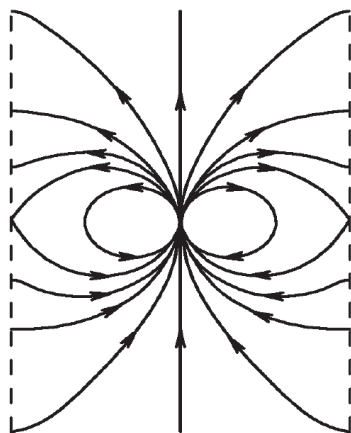
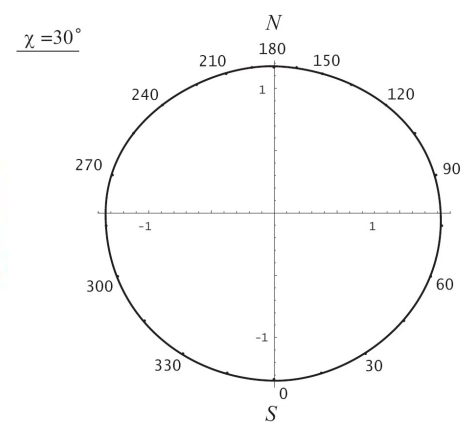
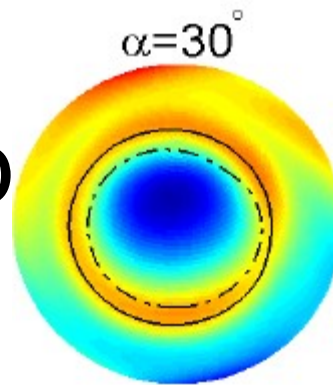


Equatorial plane

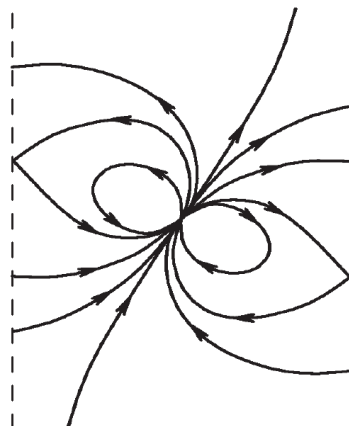
НЕТ ПОТЕРЬ!!

$$B_\varphi \propto (1 - x_r^2)^2$$

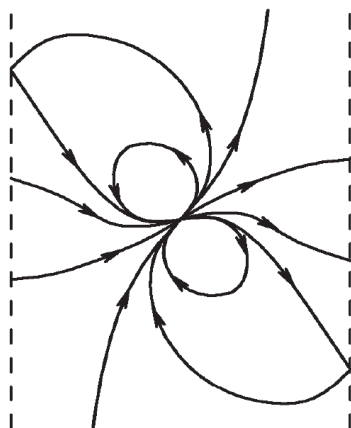
Наклонный ротатор



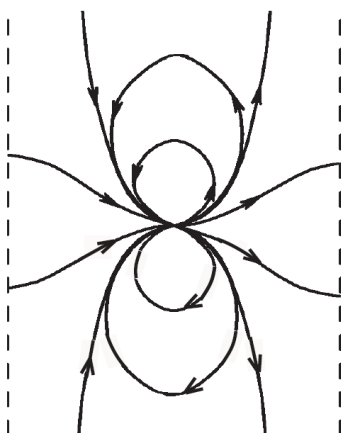
$\chi = 0^\circ$



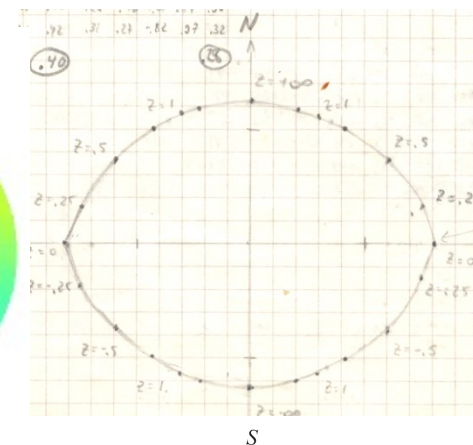
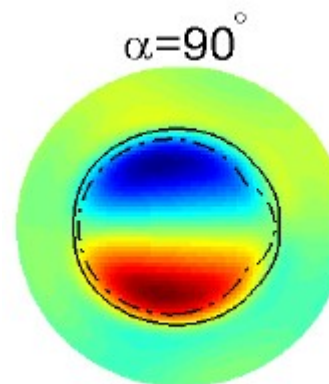
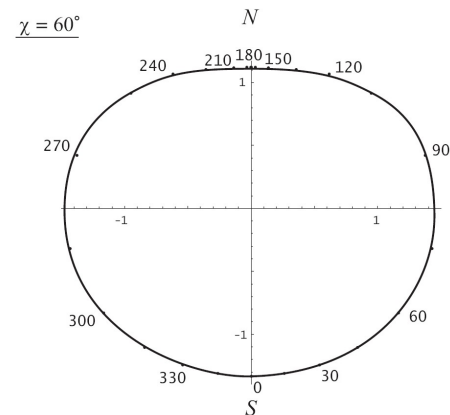
$\chi = 30^\circ$



$\chi = 60^\circ$



$\chi = 90^\circ$

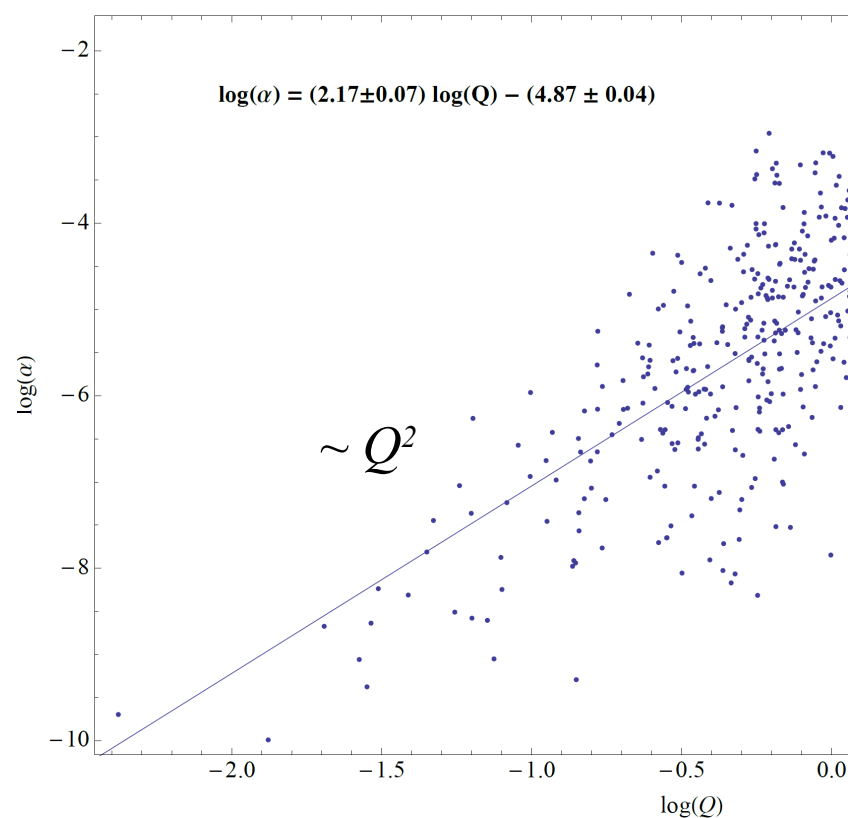


Замечание 1 (доля радиоизлучения)

$$Q = 2 P^{11/10} \dot{P}_{-15}^{-4/10} \quad (\text{RS})$$

- $H/R_0 \sim Q$ for $Q < 1$
- $W_{\text{part}}/W_{\text{tot}} \sim Q^2$

$$\alpha = L_{\text{rad}}/W_{\text{tot}}$$

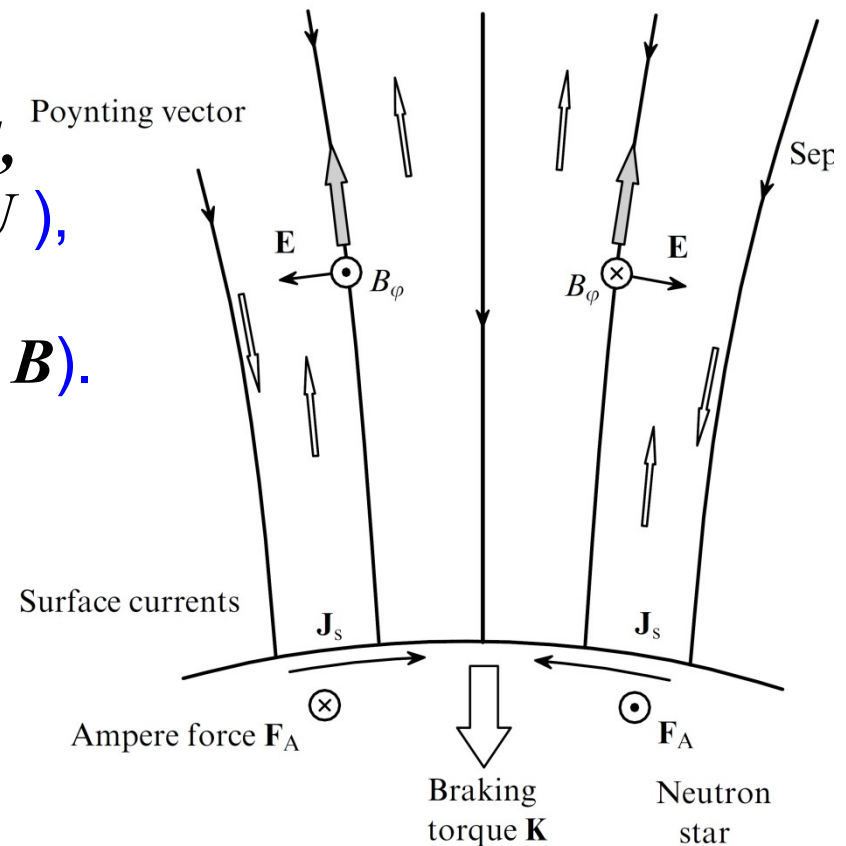


Токовые потери

For current loss mechanism is necessary to have

- Plasma in the magnetosphere,
- regular poloidal magnetic field,
- rotation (inductive electric field $\mathbf{E}$, EMF dU),
- longitudinal current I (toroidal magnetic field $\mathbf{B}$).

$$W_{\text{tot}} = I \delta U$$



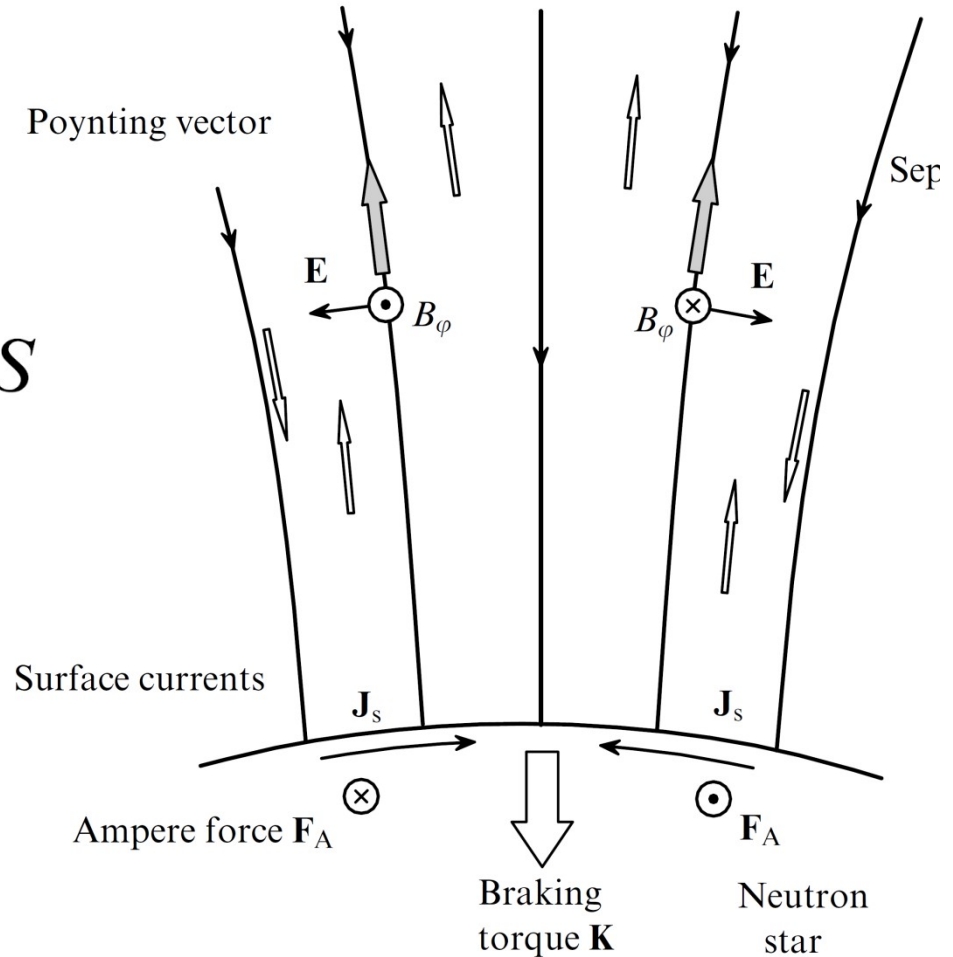
Токовые потери

$$W_{\text{tot}} = -\boldsymbol{\Omega} \cdot \mathbf{K}$$

$$\mathbf{K} = \frac{1}{c} \int [\mathbf{r} \times [\mathbf{J}_s \times \mathbf{B}]] dS$$

$$\nabla_2 \mathbf{J}_s = j_n$$

$$\mathbf{J}_s = \frac{I}{2\pi R \sin \theta} \mathbf{e}_\theta$$



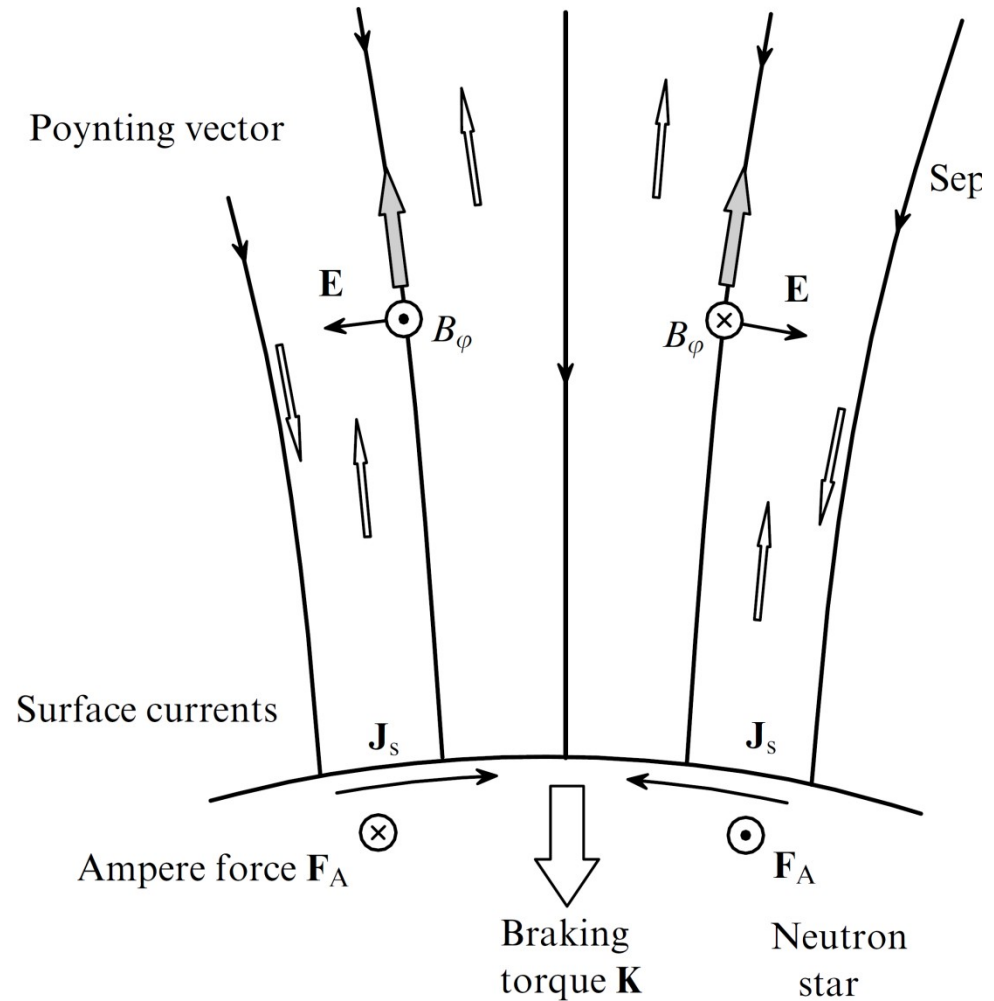
Токовые потери

$$W_{\text{tot}} = c_{\parallel} \frac{B_0^2 \Omega^4 R^6}{c^3} i_0$$

$$i_0 = j_{\parallel} / j_{\text{GJ}}$$

$$W_{\text{tot}}^{(\text{BGI})} \approx i_s^{\text{A}} \frac{B_0^2 \Omega^4 R^6}{c^2} \cos^2 \chi$$

GJ



Ортогональный ротатор

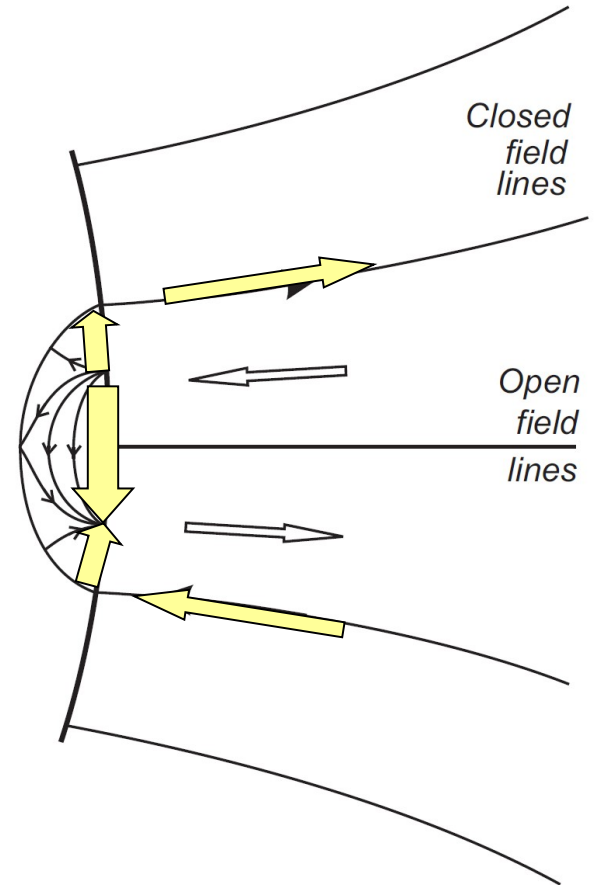
VB, A.V.Gurevich, Ya.N.Istomin JETP **58**, 235 (1983)

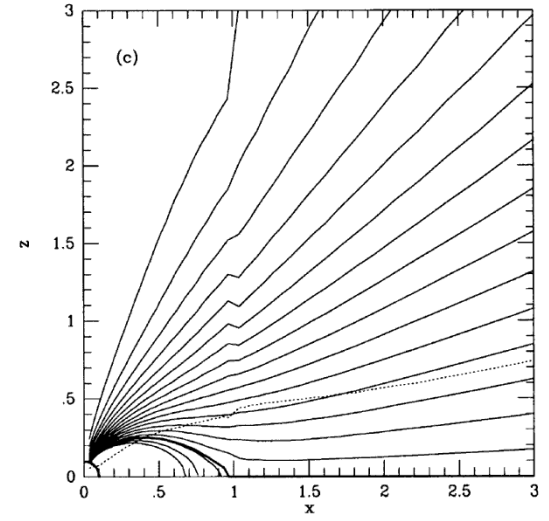
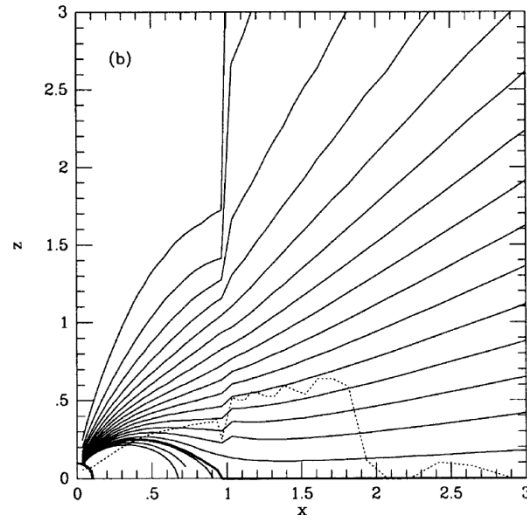
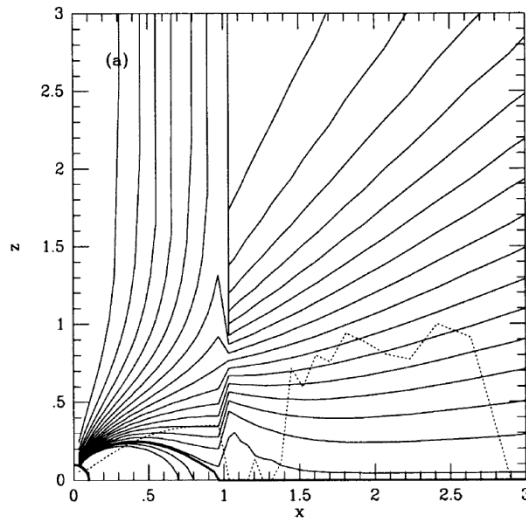
$$\dot{j}_{\text{GJ}} \approx \frac{\Omega B}{2\pi} \cos \theta$$

$$\mathbf{K} = \frac{1}{c} \int [\mathbf{r} \times [\mathbf{J}_s \times \mathbf{B}]] dS \quad \Omega \uparrow \quad m \rightarrow$$

↑
↑

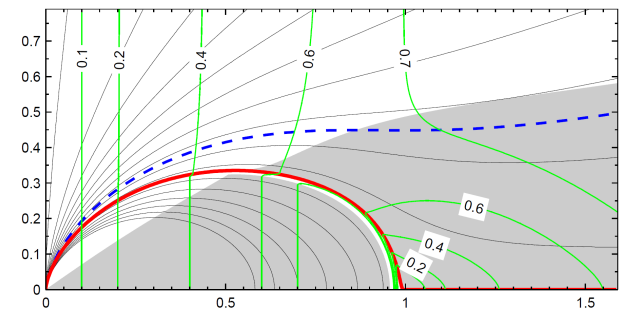
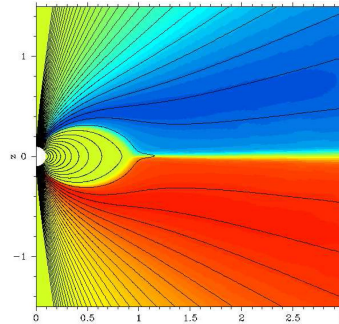
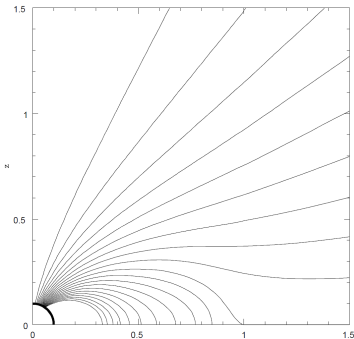
$$W_{\text{tot}} = c_{\perp} \frac{B_0^2 \Omega^4 R^6}{c^3} \left(\frac{\Omega R}{c} \right) \dot{i}_A$$





I.Contopoulos, D.Kazanas & Ch.Fendt, ApJ, **511**, 351 (1999)

$$-\left(1 - \frac{\Omega_F^2 \varpi^2}{c^2}\right) \nabla^2 \Psi + \frac{2}{\varpi} \frac{\partial \Psi}{\partial \varpi} - \frac{16\pi^2}{c^2} I \frac{dI}{d\Psi} + \frac{\varpi^2}{c^2} (\nabla \Psi)^2 \Omega_F \frac{d\Omega_F}{d\Psi} = 0$$



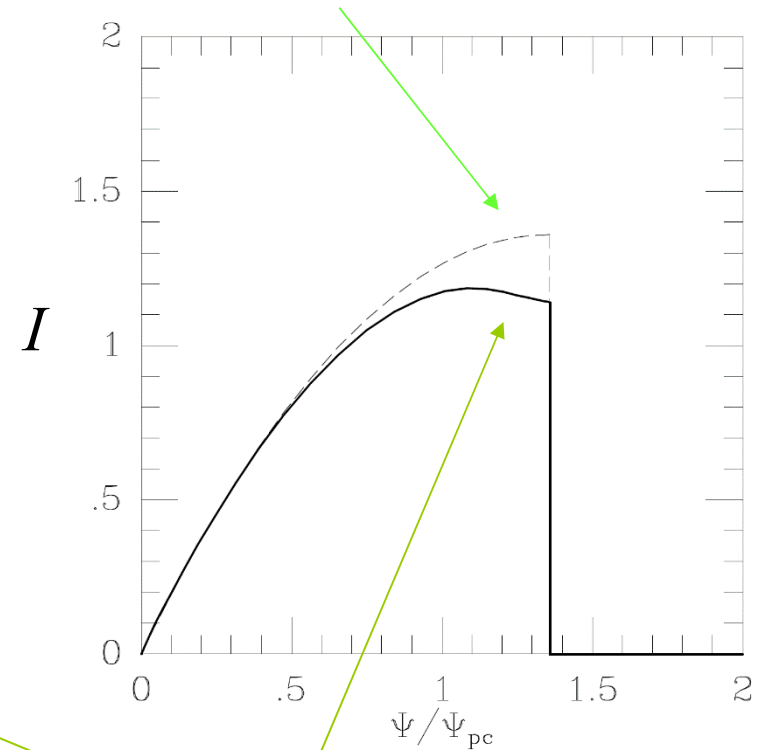
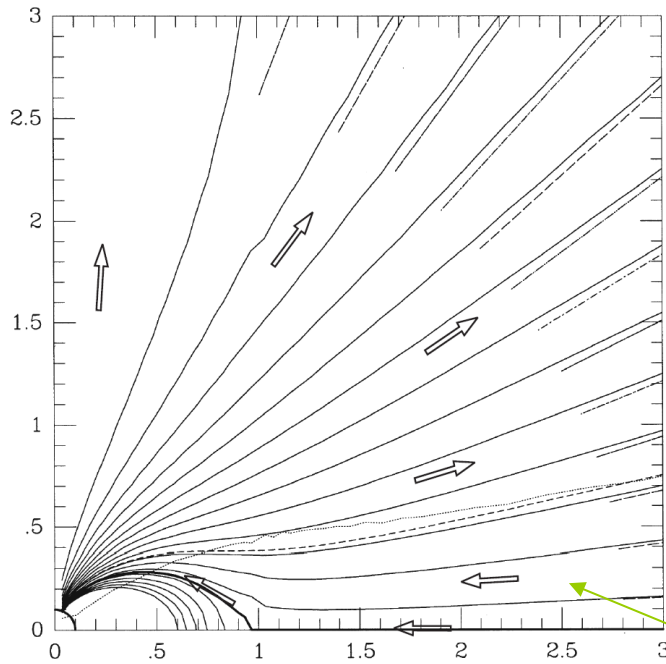
A.Gruzinov (2005)

S.Komissarov (2005)

A.Timokhin (2005)

Проблема

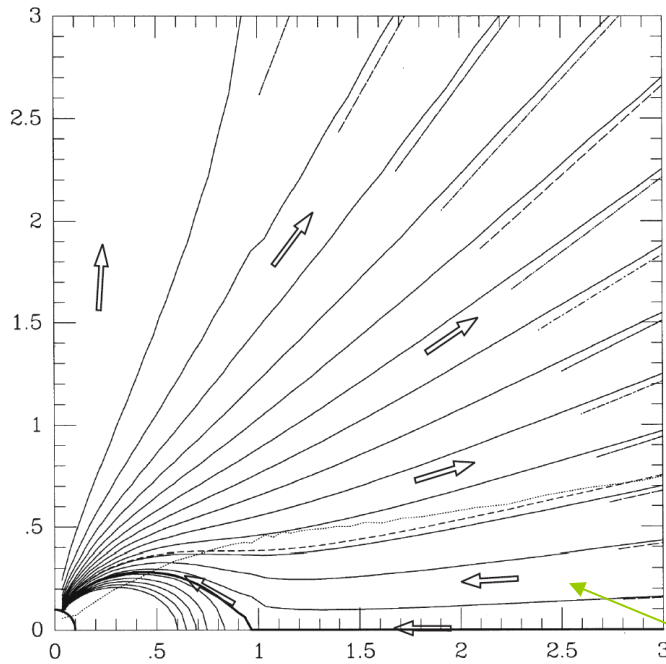
Michel, 1973



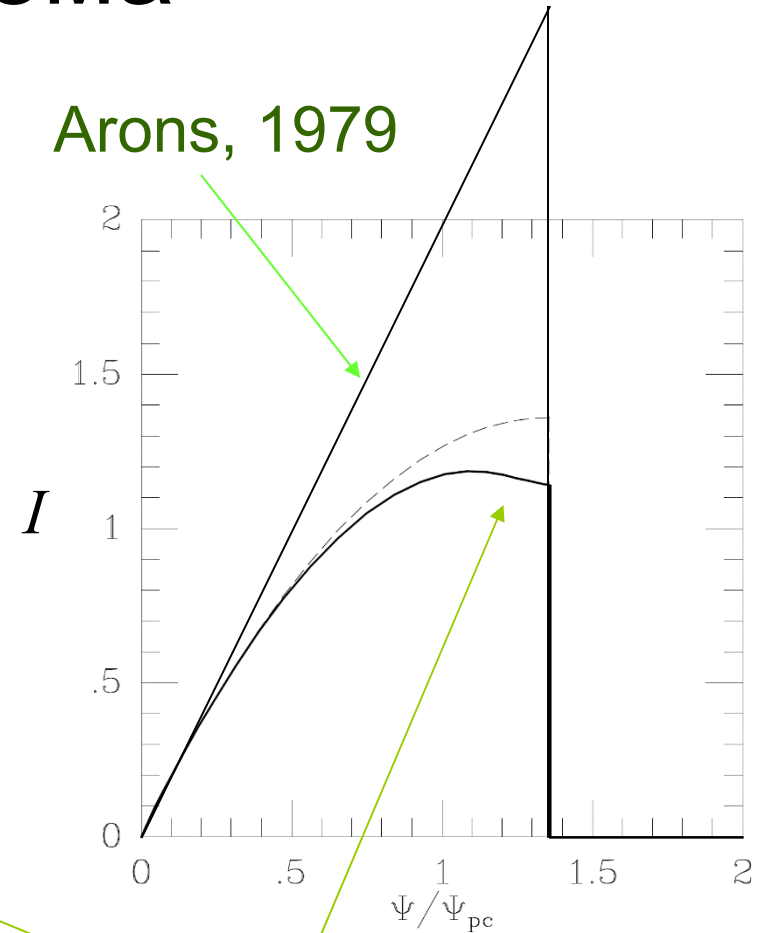
I.Contopoulos, D.Kazanas & Ch.Fendt,
ApJ, **511**, 351 (1999)

Обратный объемный ток

Проблема



I.Contopoulos, D.Kazanas & Ch.Fendt,
ApJ, **511**, 351 (1999)

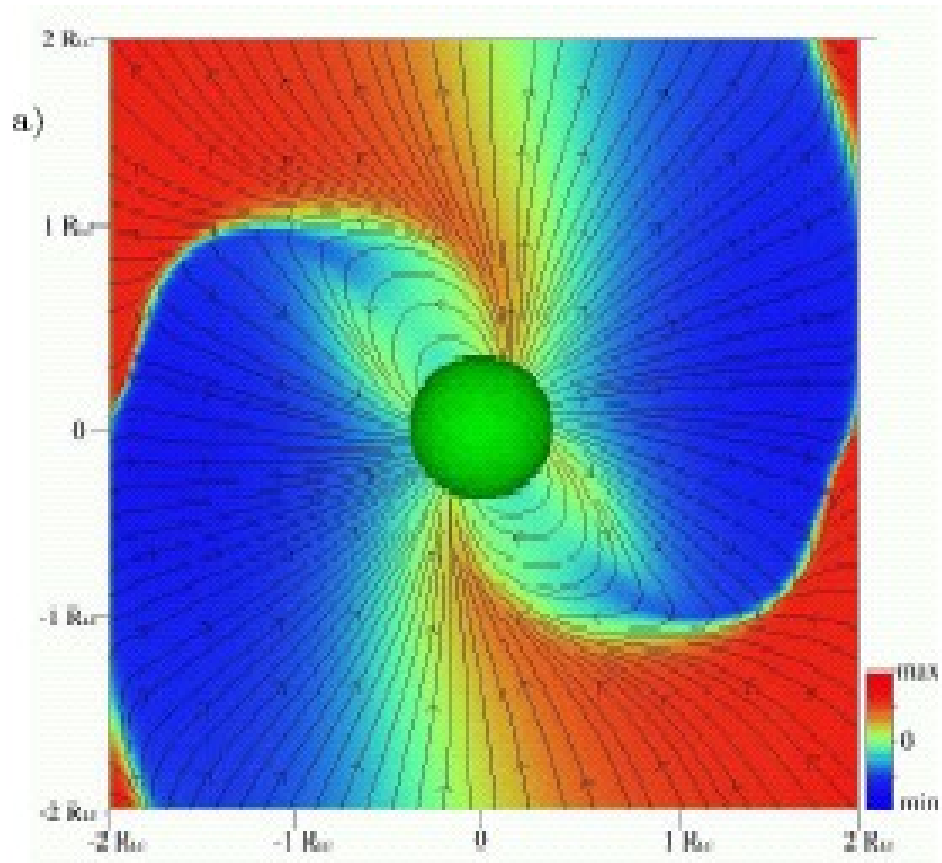


Обратный объемный ток

Inclined rotator

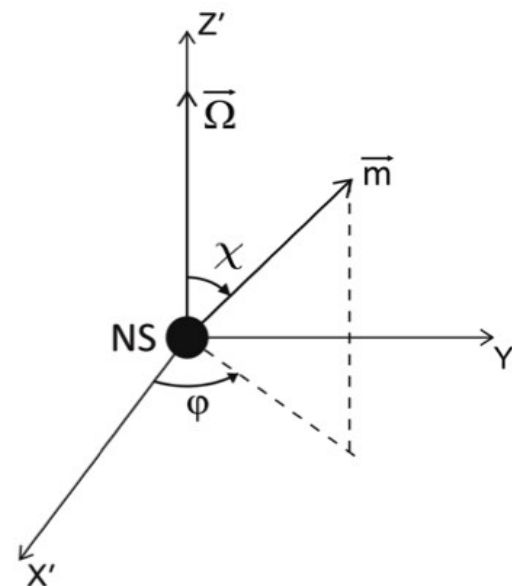
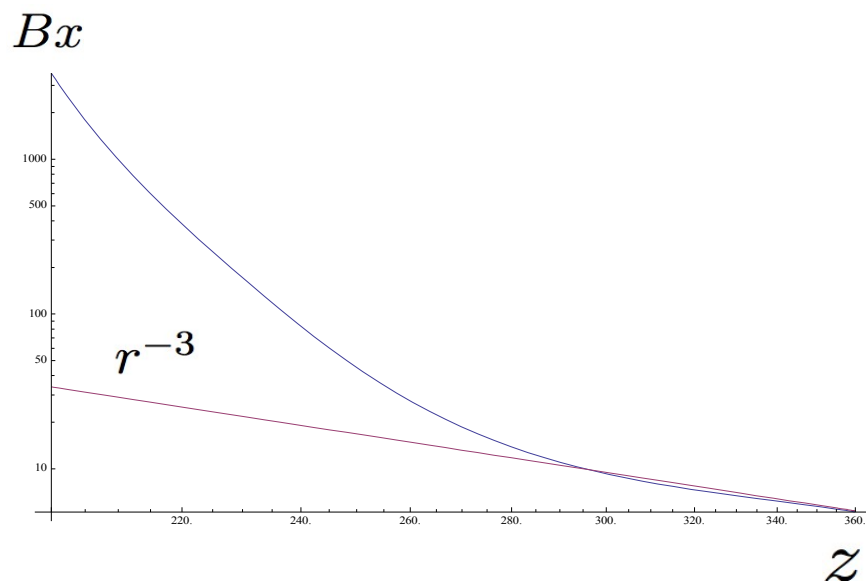
A.Spitkovsky, ApJ Lett., **648**, L51 (2006)

$$W_{\text{tot}}^{(\text{MHD})} \approx \frac{1}{4} \frac{B_0^2 \Omega^4 R^6}{c^2} (1 + \sin^2 \chi)$$



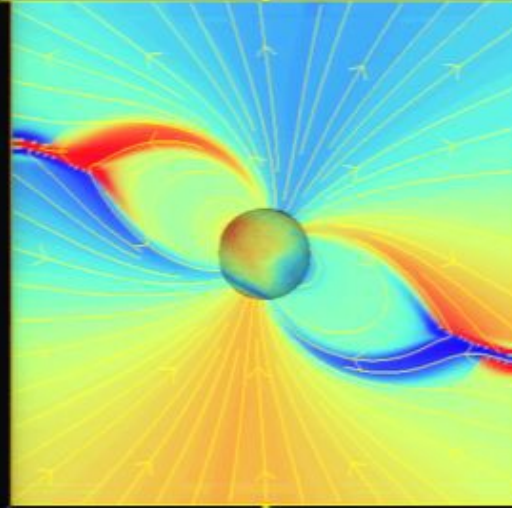
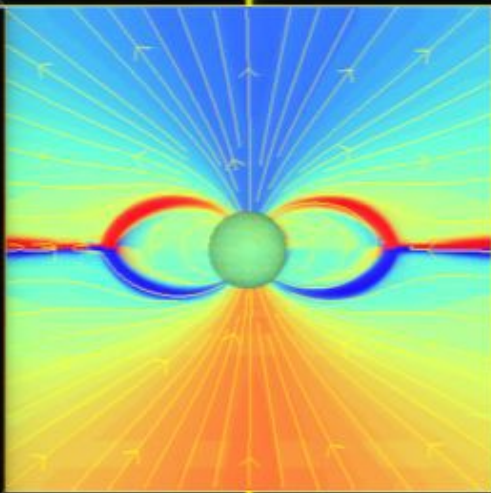
Решение Спитковского, $\chi = 60^\circ$

Магнито-дипольных потерь нет



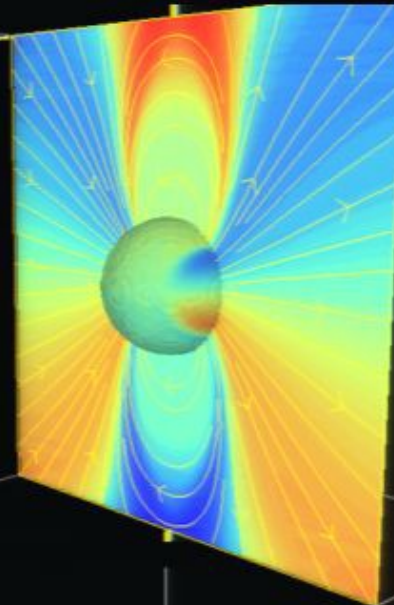
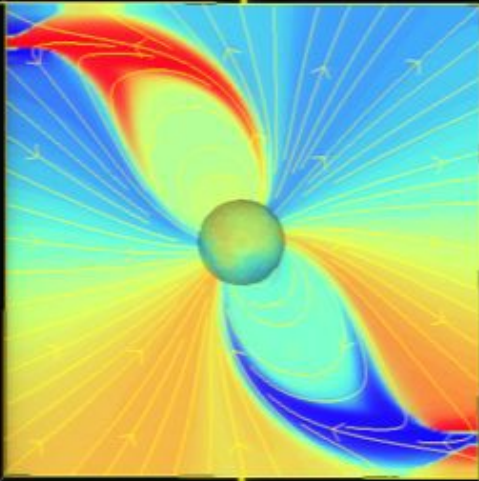
In vacuum $B_x = \frac{\ddot{d}}{cr}$

Magnetospheric currents



Oppositely flowing currents can occupy the same open flux tube. Does this have any observational implications?

There is always a null-current field line in the open zone.



Наклонный ротатор - численно

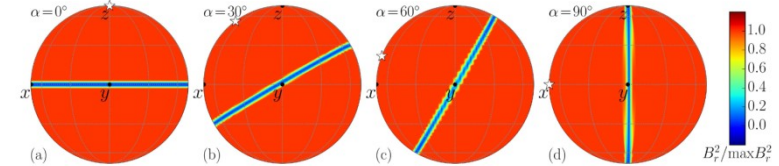
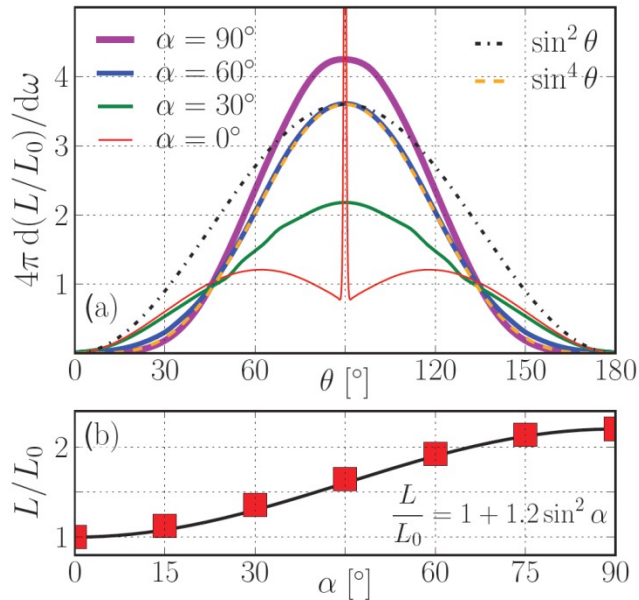
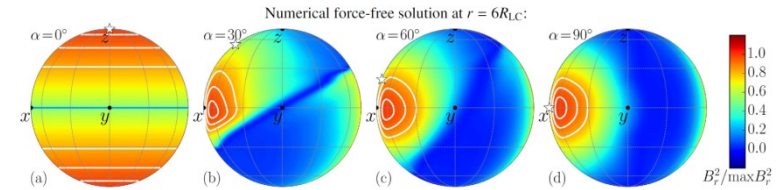
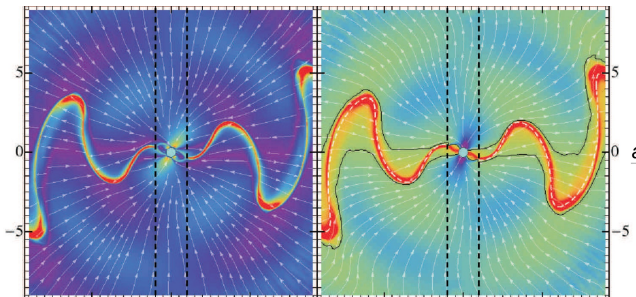


Figure 12. Colour-coded surface distribution of B_r^2 in the split-monopole solution (Bogovalov 1999). The current sheet, in which the radial magnetic field vanishes, describes the orientation of the current sheet in the numerical force-free solutions shown in Fig. 6.



A.Tchekhovskoy, A.Philippov, A.Spitkovsky, MNRAS, **457**, 3384 (2016)



I.Contopoulos et al

$$\begin{aligned} \langle B_r \rangle &\sim \sin \theta \\ \langle E \rangle, \langle B_\phi \rangle &\sim \sin^2 \theta \end{aligned}$$

$$W_{\text{tot}}(\theta) = \sin^2 \theta B_r^2(\theta)$$

Эволюция – токовые потери?

$$\begin{aligned} I_r \dot{\Omega} &= K_{\parallel} \cos \chi + K_{\perp} \sin \chi, \\ I_r \Omega \dot{\chi} &= K_{\perp} \cos \chi - K_{\parallel} \sin \chi, \end{aligned}$$

$$\begin{aligned} K_{\parallel} &= -c_{\parallel} \frac{B_0^2 \Omega^3 R^6}{c^3} i_s, \\ K_{\perp} &= -c_{\perp} \frac{B_0^2 \Omega^3 R^6}{c^3} \left(\frac{\Omega R}{c} \right) i_a. \end{aligned}$$

$$K_{\perp}^A \approx \left(\frac{\Omega R}{c} \right) K_{\parallel}^A$$

$$i_s \approx i_a \approx 1$$

VB, A.V.Gurevich, Ya.N.Istomin,
JETP **58**, 235 (1983)

Эволюция – токовые потери?

$$\begin{aligned} I_r \dot{\Omega} &= K_{\parallel} \cos \chi + K_{\perp} \sin \chi, & I_r \dot{\Omega} &= K_{\parallel}^A + [K_{\perp}^A - K_{\parallel}^A] \sin^2 \chi, \\ I_r \Omega \dot{\chi} &= K_{\perp} \cos \chi - K_{\parallel} \sin \chi, & I_r \Omega \dot{\chi} &= [K_{\perp}^A - K_{\parallel}^A] \sin \chi \cos \chi. \end{aligned}$$

$$\begin{aligned} K_{\parallel} &= -c_{\parallel} \frac{B_0^2 \Omega^3 R^6}{c^3} i_s, & i_s &= i_s^A \cos \chi, \\ K_{\perp} &= -c_{\perp} \frac{B_0^2 \Omega^3 R^6}{c^3} \left(\frac{\Omega R}{c} \right) i_a. & i_a &= i_a^A \sin \chi. \end{aligned}$$

$$K_{\perp}^A \approx \left(\frac{\Omega R}{c} \right) K_{\parallel}^A$$

$$i_s \approx i_a \approx 1$$

$$i_A \sim (\Omega R/c)^{-1}$$

BGI

Princeton (MHD)

Эволюция – токовые потери?

$$\begin{aligned} I_r \dot{\Omega} &= K_{\parallel} \cos \chi + K_{\perp} \sin \chi, \\ I_r \Omega \dot{\chi} &= K_{\perp} \cos \chi - K_{\parallel} \sin \chi, \end{aligned}$$

$$\begin{aligned} I_r \dot{\Omega} &= K_{\parallel}^A + [K_{\perp}^A - K_{\parallel}^A] \sin^2 \chi, \\ I_r \Omega \dot{\chi} &= [K_{\perp}^A - K_{\parallel}^A] \sin \chi \cos \chi. \end{aligned}$$

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$$\begin{aligned} i_s &= i_s^A \cos \chi, \\ i_a &= i_a^A \sin \chi. \end{aligned}$$

$$K_{\perp}^A \approx \left(\frac{\Omega R}{c} \right) K_{\parallel}^A$$

$$i_s \approx i_a \approx 1$$

BGI

$$i_A \sim (\Omega R/c)^{-1}$$

Princeton (MHD)

Продольный ток

Дрейфовое приближение

$$\mathbf{j} = c \rho_e \frac{[\mathbf{E} \times \mathbf{B}]}{B^2} + a \mathbf{B}$$

$$\mathbf{j} = \rho_e [\boldsymbol{\Omega} \times \mathbf{r}] + i_{\parallel} \mathbf{B}$$

$$\mathbf{j} = \frac{(\mathbf{B} \cdot \nabla \times \mathbf{B} - \mathbf{E} \cdot \nabla \times \mathbf{E})\mathbf{B} + (\nabla \cdot \mathbf{E})\mathbf{E} \times \mathbf{B}}{B^2}$$

$$(\nabla i_{\parallel} \mathbf{B}) = 0$$

Mestel, BGI

Gruzinov

$$i_a \sim \left(\frac{\Omega R}{c} \right)^{-1/2}$$

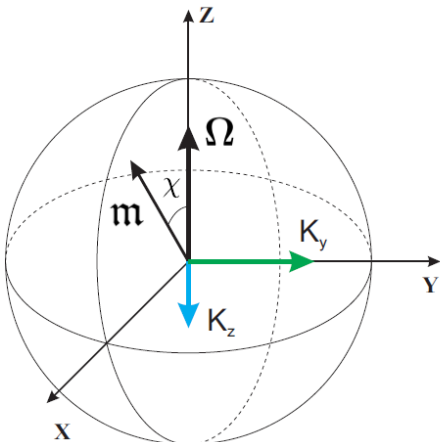
Не только!

Энергетические потери

$$\beta_R = \frac{\Omega \times \mathbf{r}}{c}$$

$$W_{\text{tot}} = \frac{c}{4\pi} \int (\beta_R \mathbf{B})(\mathbf{B} d\mathbf{S})$$

Токовые (симм.)	$i_s \sim 1$	1	$\Omega^{3/2}$	$\Omega^{3/2}$	1	Ω	$= \Omega^4$
Токовые (ортог.)	$i_a \sim 1$	Ω	Ω	Ω^2	1	Ω	$= \Omega^5$
Вакуум (Л&Л) (2/3)		1	Ω	Ω^3	1	1	$= \Omega^4$



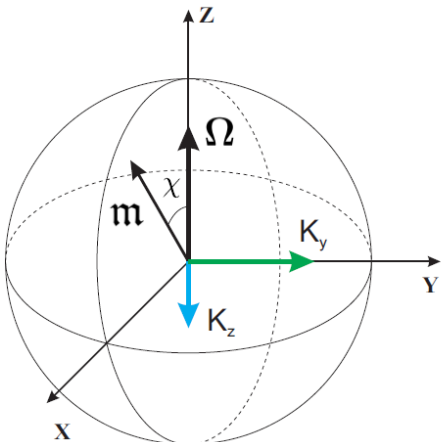
Не только!

Энергетические потери

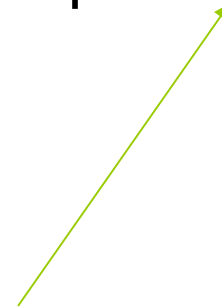
$$\beta_R = \frac{\Omega \times \mathbf{r}}{c}$$

$$W_{\text{tot}} = \frac{c}{4\pi} \int (\beta_R \mathbf{B})(\mathbf{B} d\mathbf{S})$$

Токовые (симм.)	$i_s \sim 1$	1	$\Omega^{3/2}$	$\Omega^{3/2}$	1	Ω	$= \Omega^4$
Токовые (ортог.)	$i_a \sim 1$	Ω	Ω	Ω^2	1	Ω	$= \Omega^5$
Вакуум (Л&Л) (1/3)		1	Ω	1	Ω^3	1	$= \Omega^4$



$$\mathbf{B}^{(3)} = -\frac{2}{3} \frac{m}{R^3} \left(\frac{\Omega R}{c} \right)^3 \mathbf{e}_{y'}$$



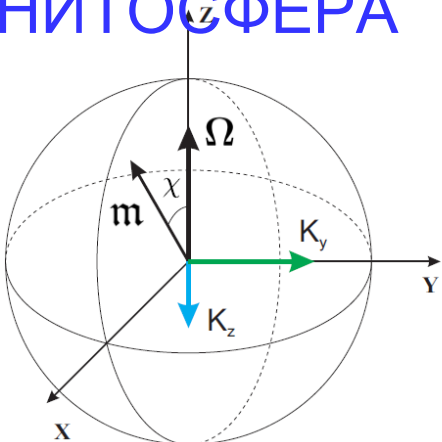
Не только!

Энергетические потери

$$\beta_R = \frac{\Omega \times \mathbf{r}}{c}$$

$$W_{\text{tot}} = \frac{c}{4\pi} \int (\beta_R \mathbf{B})(\mathbf{B} d\mathbf{S})$$

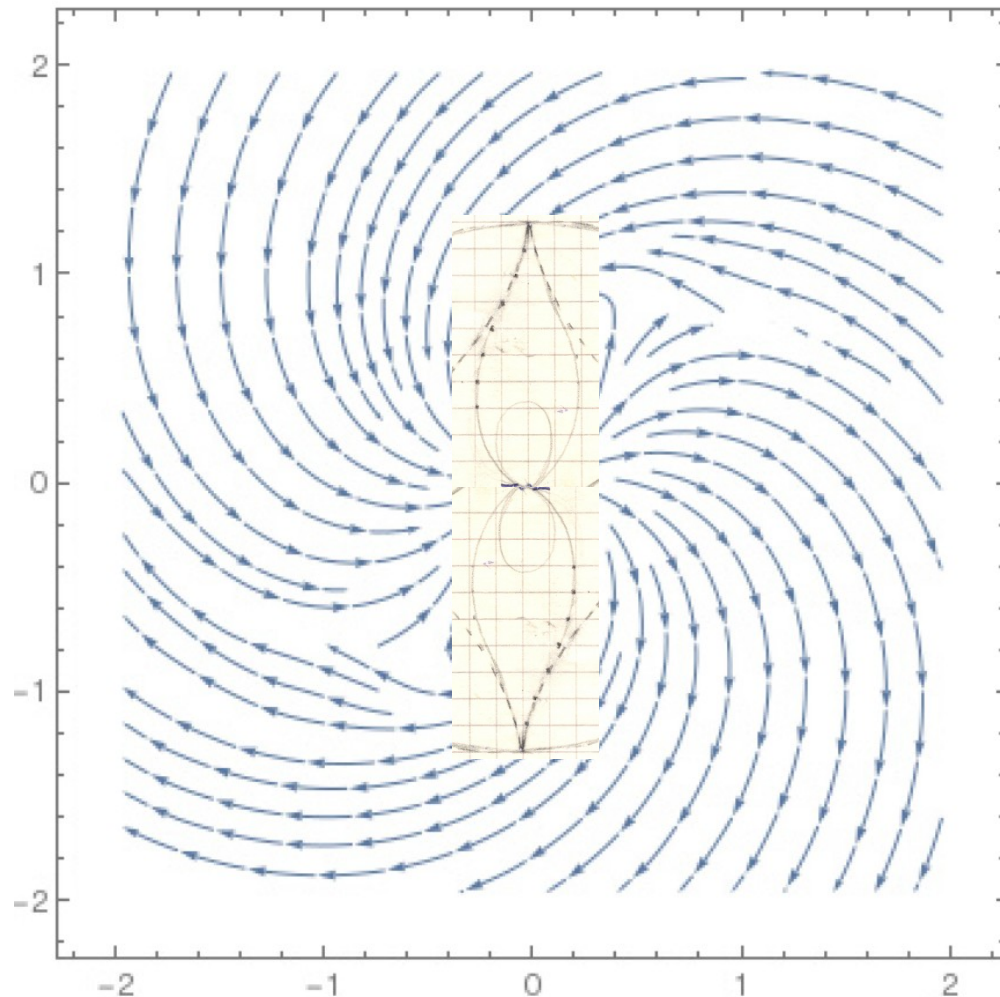
Токовые (симм.)	$i_s \sim 1$	1	$\Omega^{3/2}$	$\Omega^{3/2}$	1	Ω	$= \Omega^4$
Токовые (ортог.)	$i_a \sim 1$	Ω	Ω	Ω^2	1	Ω	$= \Omega^5$
Вакуум (Л&Л) (1/3)		1	Ω	1	Ω^3	1	$= \Omega^4$
МАГНИТОСФЕРА		1	Ω	1	Ω^3	1	$= \Omega^4$



$$\mathbf{B}^{(3)} = -\frac{2}{3} \frac{m}{R^3} \left(\frac{\Omega R}{c} \right)^3 \mathbf{e}_{y'}$$

Магнитосферные потери

За счет
рассогласования



Магнитосферные потери

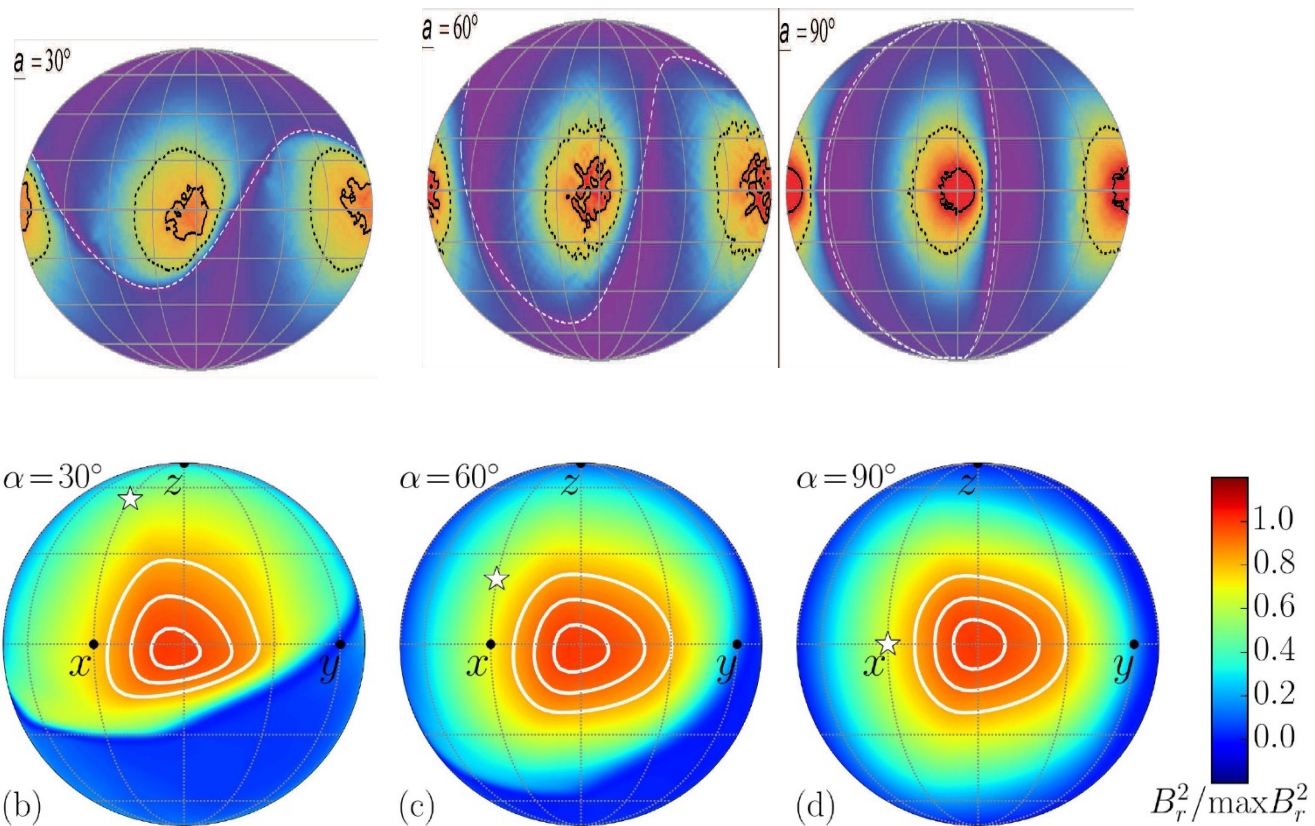
Момент сил

$$\begin{aligned} I_r \dot{\Omega} &= K_{\parallel}^A + [K_{\perp}^A - K_{\parallel}^A] \sin^2 \chi, \\ I_r \Omega \dot{\chi} &= [K_{\perp}^A - K_{\parallel}^A] \sin \chi \cos \chi. \end{aligned}$$

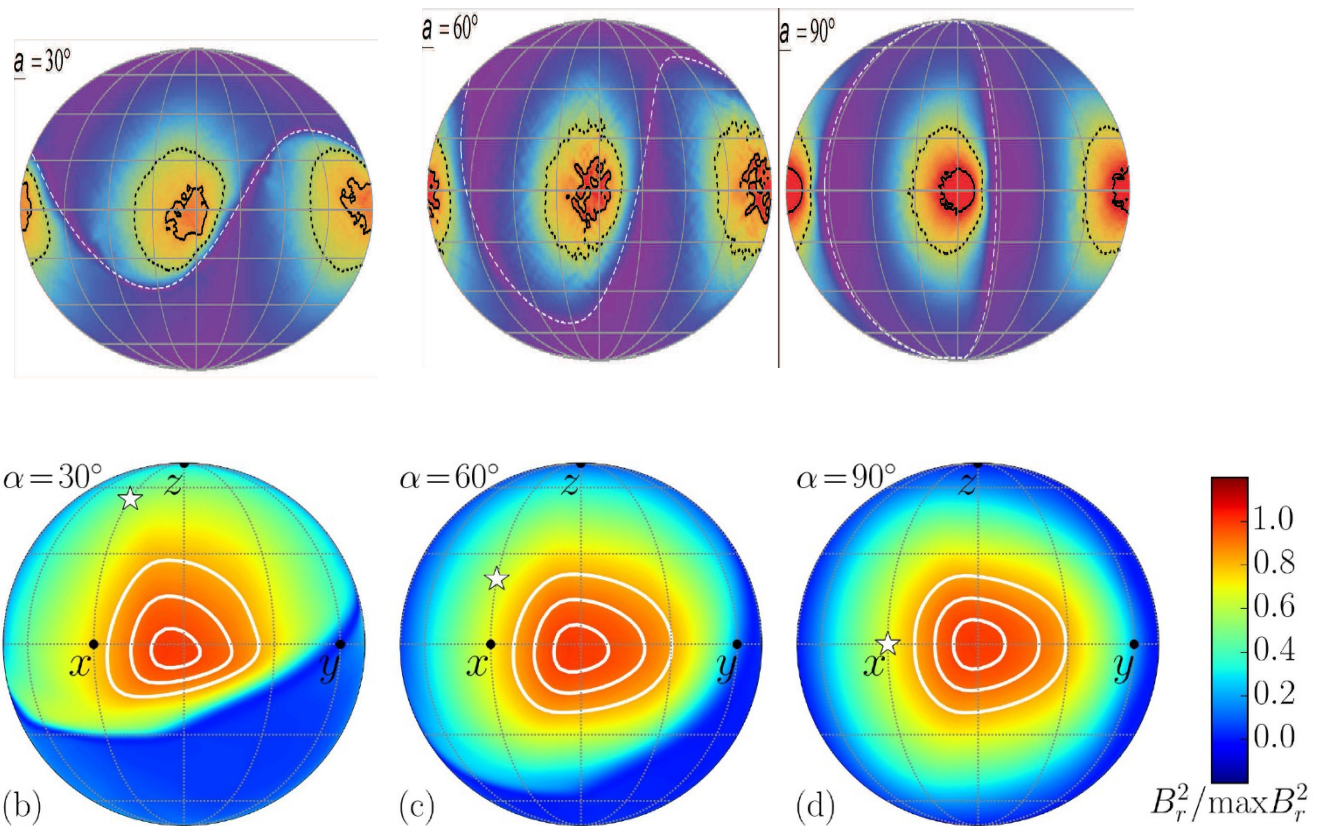
$$K_{\perp}^{\text{mag}} = -A \frac{B_0^2 \Omega^3 R^6}{c^3} \dot{i}_a$$

$$A \approx 2 \left(\frac{\Omega R}{c} \right)^{1/2}$$

Так все-таки волна?



Так все-таки волна?



▪
Да, но не магнито-дипольная!

Industrial revolution (2006 – 2012)

Main results

- There is universal inclined solution (with definite charge and current density!)
- No disagreement with the current losses model
- No Michel-Bogovalov homogeneous wind
- Alignment for universal solution
- Back to Ruderman-Sutherland model (but time-dependent!)

Problems

- Sparking if there is not enough plasma

Нет чистого эксперимента (braking index)

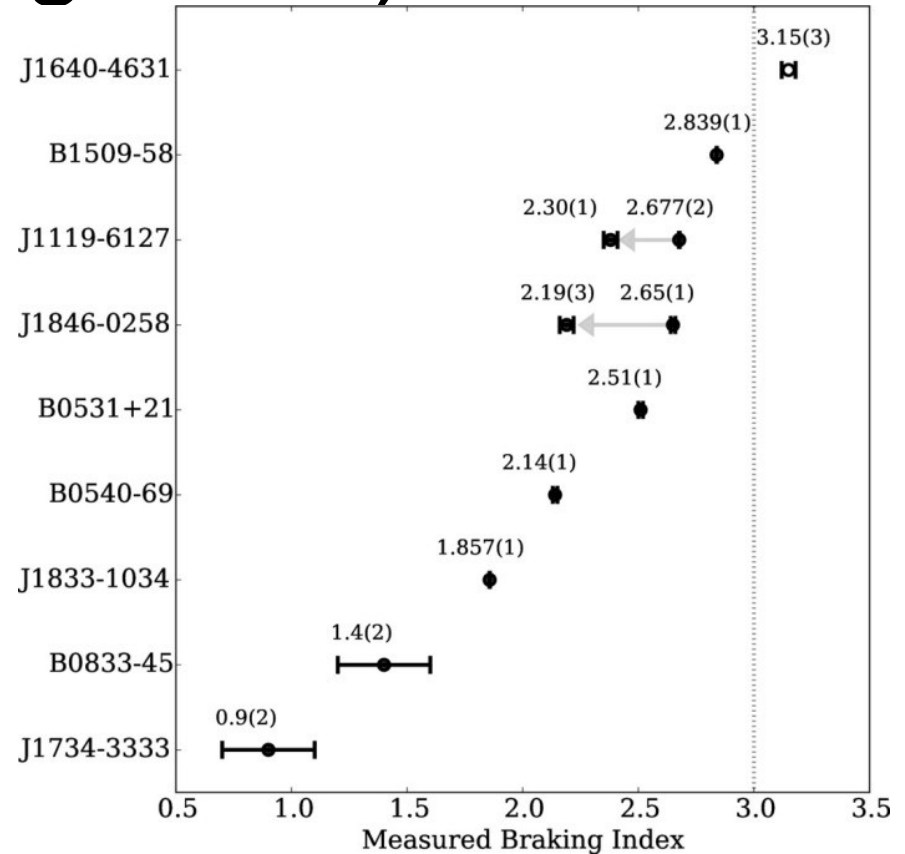
$$n_{\text{br}} = \frac{\ddot{\Omega}\Omega}{\dot{\Omega}^2}$$

$$n_{\text{br}}^{\text{VAC}} = 3 + 2 \tan^{-2} \chi \geq 3$$

$$n_{\text{br}}^{\text{MHD}} = 3 + 2 \frac{\sin^2 \chi \cos^2 \chi}{(1 + \sin^2 \chi)^2}$$

$$3 \leq n_{\text{br}}^{\text{MHD}} \leq 3.25$$

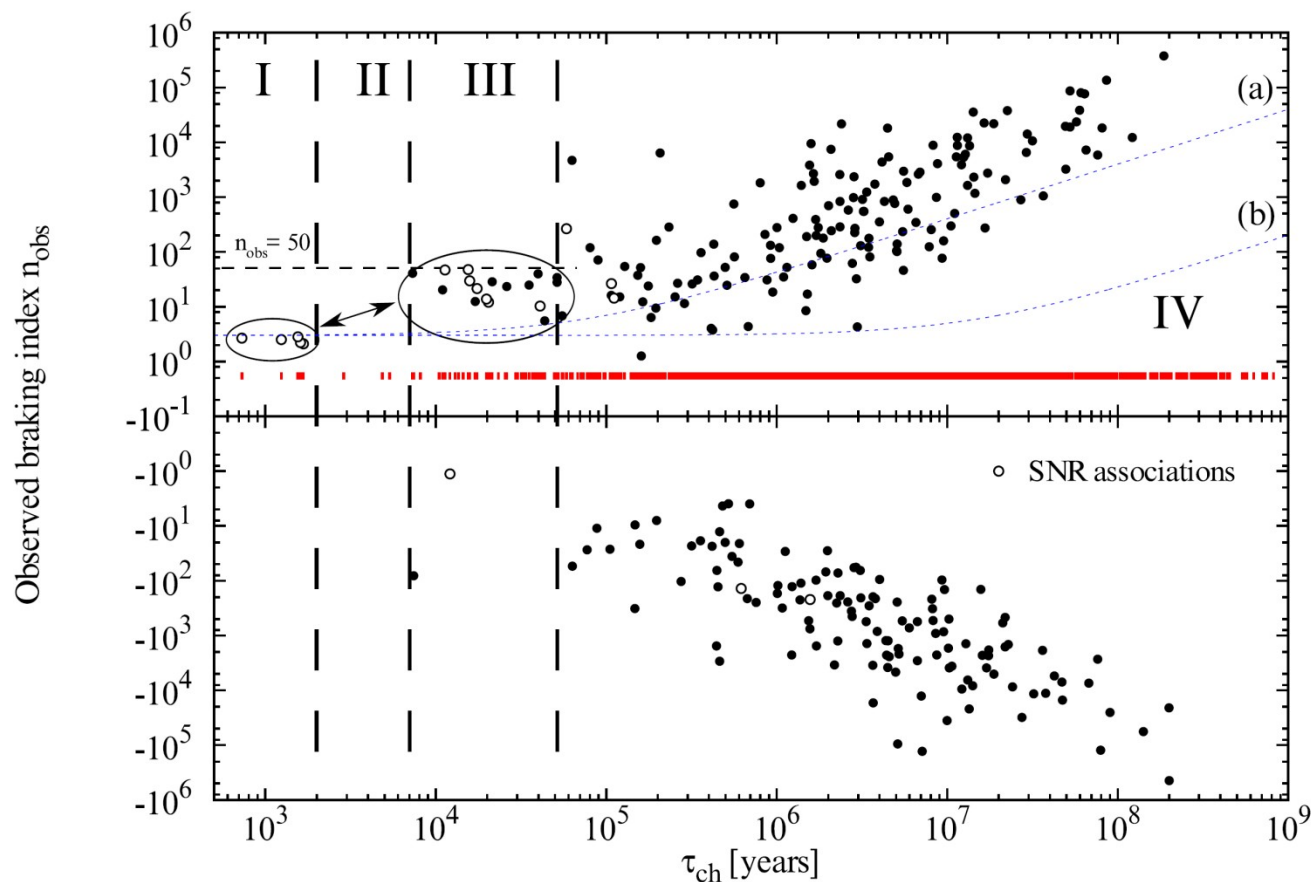
$$n_{\text{br}} = 1,93 + 1,5 \tan^2 \chi$$



R.F.Archibald et al, ApJ, **819**, L16 (2016)

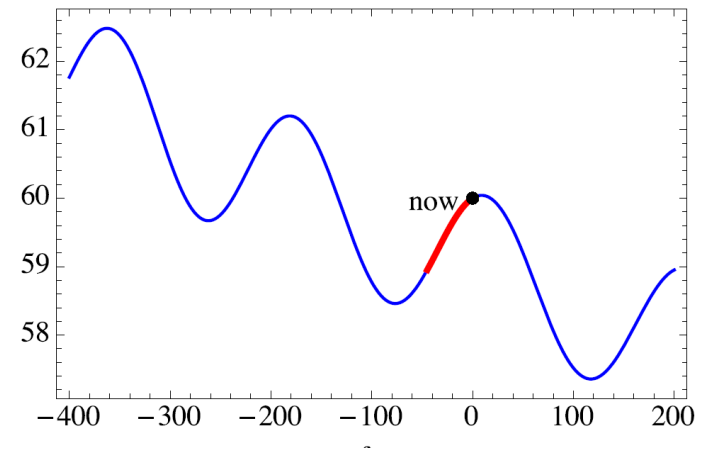
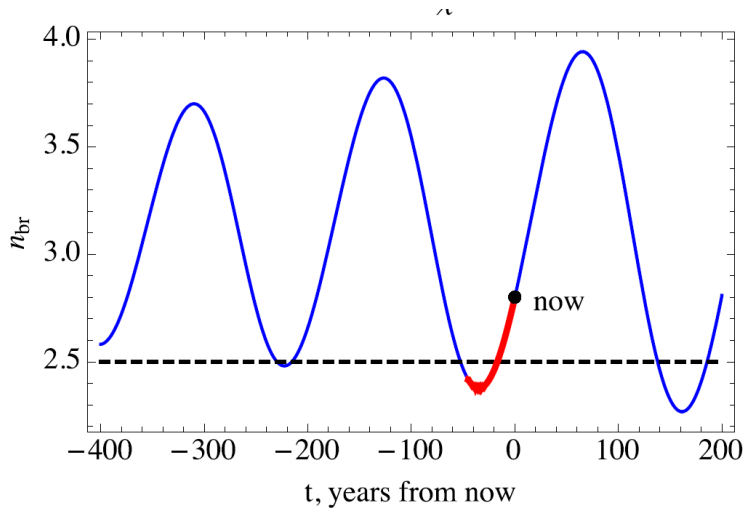
Нет чистого эксперимента (braking index)

$$n_{\text{br}} = \frac{\ddot{\Omega}\Omega}{\dot{\Omega}^2}$$



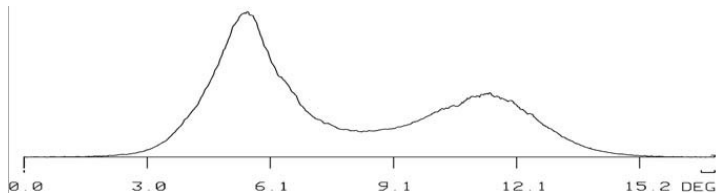
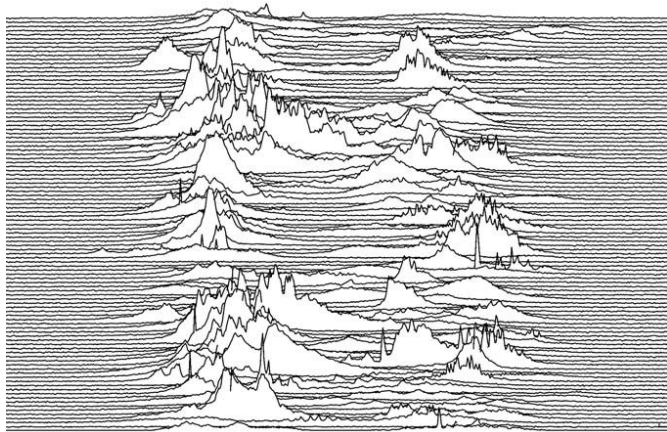
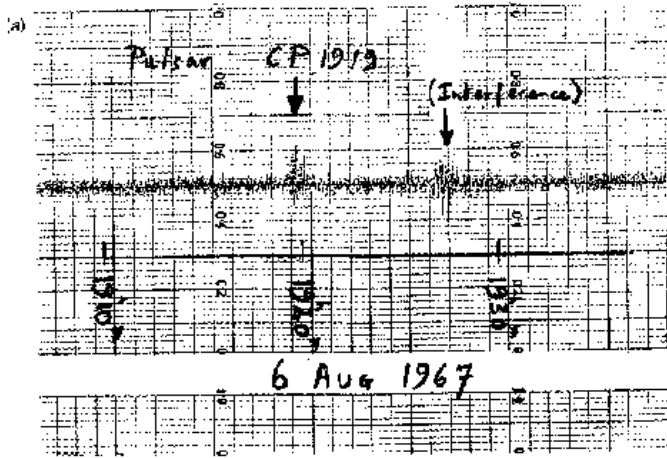
Нет чистого эксперимента (braking index)

$$n_{\text{br}} = \frac{\ddot{\Omega}\Omega}{\dot{\Omega}^2}$$



L.Arzamasskiy, A.Philippov, A.Tchekhovsky, MNRAS, **453**, 3540 (2015)

Jocelyn Bell, Antony Hewish, 1967



А ВОЗ И НЫНЕ ТАМ...

- (Механизм радиоизлучения)
- Углы наклона
 - Только острые?
 - Только тупые?
 - И те, и те?
- Ускорение в ветре

Благодарности

Спасибо!